# **Straus Chapter 6**

# Part 1: Basic Concepts of Twelve-Tone Music

Joseph N. Straus. 2016. Introduction to Post-Tonal Theory, 4th ed. (New York: Norton), pp. 294-317.

"A series is a line (ordered succession) of pitch classes."

"A series may be presented in four orderings: prime, retrograde, inversion, and retrograde-inversion.

The transpositions of these orderings form a series class (or row class),
which constitutes a starting point for a musical composition."

- Joseph Straus, Introduction to Post-Tonal Theory

#### **TERMS & CONCEPTS**

# TWELVE-TONE SERIES (§ 6.1, p. 294) PC set vs. series

PC Set: An unordered collection of pitch classes Series, or row: An ordered "line" of pitch classes

#### **Role of the series** (§ 6.1.2, p. 295)

A theme • A "scale" from which melodies and harmonies are drawn • A motive repository • A larger design with many embedded smaller designs, etc.

#### **Series notation**

Staff notation

Letter notation

Integer notation

•. Fixed-zero (Straus 2016) vs movable zero

Em dash notation, pc letter names; e.g., 1

List notation, integers; e.g.,

Order numbers, or order position:

- 1-12 (Straus 2016)
- P & I (1-12); R & RI (12-1) (Straus 2022)
- 0-11 (Babbitt 1960)

## **BASIC OPERATIONS** (§ 6.2, p. 295)

There are 4 possible *orderings* of the series:

Prime (P)

Retrograde (R)

Inversion (I)

Retrograde-inversion (RI)

Under  $T_n$ , there are 48 possible *series forms*:

 $P_0 - P_{11}$ 

 $R_0 - R_{11}$ 

 $I_0 - I_{11}$ 

RI<sub>0</sub> - RI<sub>11</sub>

**Series Class** (§ 6.2.7, p. 299)

12 x 12 matrix, or Babbitt square (§ 6.2.8, p. 301)

## Interval succession of a series; e.g.,

$$D-C^{\sharp}-A-B$$
 $-F-E$  $-E-C-A$  $-G-F$  $\sharp$ - $B$ 

Adjacent intervals (Ex. 6-7 & 6-8, p. 300)

Non-adjacent intervals

Interval predominance and exclusion

Relationships between series forms:

P-related: P & P, I & I, R & R, RI & RI

R-related: P & R, I & RI I-related: P & I, R & RI RI-related: P & RI, I & R

### **TWELVE COUNT** (§ 6.2.9, p. 303)

- A "low-level map" of a twelve-tone composition's basic structure
  - 1. Identify the series
  - 2. Construct a 12 x 12 matrix (optional)
  - 3. Identify the series form presentation(s) and put order numbers on all pitches in the score.

#### Series presentation and texture

Series presentation diagram, immediate repetitions, pedal points, series forms in counterpoint, series form overlap, pointillism, etc.

#### **Segmental Subsets** (§ 6.3, p. 307)

Any partitioning, or segmentation, of the series into subsets Discrete trichords (3+3+3+3), tetrachords (4+4+4), and hexachords (6+6)

• Partition notation: e.g.,  $3^4$ ,  $4^3 & 6^2$ 

Other segmentations; e.g., 5+5+2

# **Invariants** (§ 6.4, p. 311)

Any structure (e.g., interval, chord, line, etc.) that is preserved when the series is transformed

<sup>&</sup>lt;sup>1</sup> This is the series from Schoenberg's Fourth String Quartet, Op. 37 (1936).